## Potential

What's the work done to move this charge from *i* to *f*?



DU= 90Ed





- (a) Positive charge moves in the direction of  $\vec{E}$ :
- Field does *positive* work on charge.



- (b) Positive charge moves opposite  $\vec{E}$ :
- Field does *negative* work on charge.

v

• U increases.



## Fig.23.4

- (a) Negative charge moves in the direction of  $\vec{E}$ :
- Field does *negative* work on charge.



- (b) Negative charge moves opposite  $\vec{E}$ :
- Field does *positive* work on charge.



A uniform electric field is directed in the -x direction. If you were to move a positive charge in the +x direction, how would the total energy of the positive charge / electric field system change, if at all?
 ✓ 1. The total energy of the system increases

- 2. The total energy of the system decreases
- 3. The total energy of the system would remain unchanged.













How about this "V" thing?

$$\Delta U = -W = -(-q \in d) = -26d$$

$$U = \text{electric Potential encysy (Jaules)}$$

$$define \quad \text{Electric Potential } V = U_{q_0} \qquad \overrightarrow{E}$$

$$d \qquad (f \quad f) \quad (f$$





$$V = 1.5V$$

$$U = V \cdot q = (1.5V)(1e)$$

$$= 1.5eV$$

$$1 eV = 1.6 \times 10^{-19} J$$

$$Looh @ X - ray machine$$

$$SUEV$$

$$beam of @ auros: SOHV = SOHeV$$

Worksheet time: Work done by an electric field... What's the work done to move this charge from a to b?





(a) q and  $q_0$  have the same sign.



U is always a relative thing: Energy Here vs. Energy there.

We can pick a "zero"...

$$v = kqq_0 \begin{pmatrix} 1 \\ r_a - \frac{1}{r_b} \end{pmatrix} = -\Delta u$$
  
$$\Delta u = kqq_0 \begin{pmatrix} 1 \\ r_b - \frac{1}{r_a} \end{pmatrix}$$
  
$$r = \infty \quad U = 0$$

(b) q and  $q_0$  have opposite signs.





## (a) A positive point charge



ちゃ。 -Lo r 90 1= 49  $V(\infty) = ()$ 

(b) A negative point charge













U of two collection?  
Uol a charge = 9 of the clare Var that place  
So: 
$$U_1 = q_1 V_1$$
  
 $V_1$  is caused by  $q_2, q_3$ :  $\frac{k_1 q_2}{d} + \frac{k_1 q_3}{d}$   
Su,  $U_1 = q_1 \left(\frac{k_1 q_2}{d} + \frac{k_1 q_3}{d}\right)$   
like wise for  $U_2$ ,  $U_3$   
Total  $U = U_1 + U_2 + U_3$