

14-36 | Push rectangular block under water,

measuring apparent weight as a function of depth h . Block is " d " high.

Out of water, ($h=0$), weight is 0.25 N .

This decreases till it's totally submerged, at 1.5 cm (so that must be " d ").

F_b is max when all the way under,

so ~~W~~ $W = -(F_b - mg)$

$$F_b = (0.25\text{ N} - 0.10\text{ N}) = 0.15\text{ N}$$

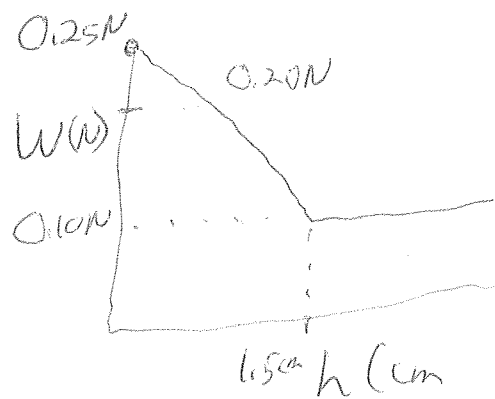
\nwarrow "mg" \nearrow max F_b

$$F_b = (\rho g \text{ Volume}) \quad \text{we want to know } \rho_R$$

$$\text{so } \rho_R = \frac{F_b}{gV} = \frac{0.15\text{ N}}{9.8\text{ m/s}^2 (1.5 \cdot 5.67) \times 10^{-4}\text{ m}^3}$$

$$\rho_R = 1800\text{ kg/m}^3 = 1.8\text{ g/cm}^3$$

(water = 1.0 g/cm^3 . Wonder what this stuff is?)



$$"A" = \text{~~0.15~~ } 5.67\text{ cm}^2$$

